

Семинар "Геометрия и комбинаторика"  
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**Title:** On the Tverberg Partition

**Abstract:** In 1966, Tverberg proved that for any set of  $n=(d+1)(r-1)+1$  points in  $\mathbb{R}^d$ , there is a partition of the points in  $r$  parts such that the intersection of their convex hulls is non-empty. Every such Tverberg partition induces an integer partition of  $n$  into  $r$  parts such that  $n=a_1+a_2+\dots+a_r$ , where  $a_i$  is the size of the  $i^{\text{th}}$  partition. Gerard Sierksma conjectured that for any set of  $(d+1)(r-1)$  points, the number of Tverberg  $r$ -partitions is at least  $(r-1)!^d$ . In 2017, M. White proved that for any partition of  $n$  where the size of each part is less than or equal to  $d+1$ , there exists a point set  $X$  having  $n$  points in  $\mathbb{R}^d$ , such that every Tverberg partition of  $X$  induces the same partition on  $n$  given by  $a_1, \dots, a_r$ . Moreover, the number of Tverberg partitions of  $X$  is exactly  $(r-1)!^d$ . We prove these results in this talk. Then, we will state some recent results on the Tverberg partition.